# **Wafer Nanotopography Effects on CMP: Experimental Validation of Modeling Methods**

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# **What is Nanotopography?**

"Nanotopography" refers to wafer surface variations with:

- 1. Lateral length scales from 0.2 mm to 20 mm
- 2. Height variations ~ 10 to 100 nm



#### **Nanotopography Map: 8" SSP Silicon Epi Wafer**

Filtered data measured using a NanoMapper ™ production nanotopography tool at ADE Phase Shift in Tucson, AZ





# **Outline**

#### •Introduction

- Background review of nanotopography
- Motivation nanotopography impact on CMP of films

#### •**Experiment Overview**

- • Nanotopography Modeling
	- Contact mechanics model

#### • Experiment Details and Results

- Comparison of nanotopography to film thinning
- Comparison of model prediction to measured data
- •Conclusions and Future Work

## **Experiment Overview**

### • Key idea:

- Use wafers with various nanotopography signatures (length scales)
- Use CMP processes with various planarization lengths
- Extract planarization length AND measure oxide thickness results

### • Previous experimental work:

- Xu, et al. (ESSL 1998): showed CMP oxide thinning related to both original wafer height variation and pad properties
- JEIDA experiments: splits on wafers and CMP pads

#### • Goals of this work:

- Examine nanotopography length vs. planarization length
- Provide a predictive model for the thinning due to nanotopography for any characterized CMP process

### **CMP Film Thickness Evolution Model**

Contact Wear CMP Model<sup>1,2</sup>

*w x y*

 $(x, y)$ 



 $w(x,y)$  = displacement of pad  $(\pi E)$   $\int_A^{\mathbf{J}} [(x-\xi)^2 + (y-\eta)^2]$  $\xi^2 + (y - \eta)$ π *x*-5/ +(*y E A* −+− $\rfloor$ L

 $\left( 1\!-\!v^2\right)$ 

 $\left[\frac{(1-v^2)}{(E)}\right]$ 

 $=\left\lceil \frac{(1-$ 

∫

 $\left[1-v^2\right)\right|$   $p(\xi,\eta)$ 

 $\overline{\phantom{a}}$ 

ν: Poisson's ratio $p(x,y)$  = pressure of pad on wafer E: Young's modulus

2

ξ η

2 (  $\sqrt{2}$   $\frac{1}{2}$ 

 $\frac{v^2}{\Delta}$   $\int$   $\frac{p(\xi, \eta)}{\eta} d\xi d\eta$ 

*p*

ξ η



RR: film removal rate  $p(x,y)$ : pressure

 $K_p$ : Preston's coefficient  $v(x,y)$ : velocity

Key ideas:

- Use pressure-displacement equation to solve for pressures everywhere
- •Use Preston's equation to calculate removal rates
- •Advance boundary elements, and iterate to reach desired polish time

<sup>1</sup> O. G. Chekina, et al., "Wear-contact problems and modeling of chemical mechanical polishing," JECS, Vol 145, June. 1998.

 $^2$  T. Yoshida, "Three-dimensional chemical mechanical polishing process model by BEM," *ECS Conf.*, Oct. 1999.





### **Experiment Details**

- Eight different CMP pads/processes – three tools
- Four different nanotopography signatures
	- –DSP1: small amplitude, long wavelength
	- –SSP1: ring-like variation, long wavelength
	- –SSP2: clusters at short wavelength
	- –SSP3: clusters at medium wavelength







# **Metrics for Nanotopography Propagation to Film Thinning**

- •Calculate a correlation coefficient  $c$  over 2D map  $(i, j)$  to capture "similarity" in the **shape of the variation** (% deviations around each mean) between:
	- $\,$  x: nanotopography height

y: oxide removed: 
$$
C = \frac{\sum_{i} \sum_{j} (x_{ij} - \mu_x)(y_{ij} - \mu_y)}{\sigma_x \sigma_y}
$$

• $c\rightarrow 0$ : no correlation

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 $c \rightarrow 1$ : complete (positive) correlation

- $c \rightarrow 1$ : complete correlation (inversion)
- •Calculate the standard deviation  $\sigma_x$  and  $\sigma_y$  to summarize the *magnitude of the variation* in the nanotopography and the polished oxide thickness, respectively

#### **Nanotopography – Oxide: Correlations**



**NL > PL**



### **Contact Wear Modeling**



- Consider wafers with short nanotopography length, large height variation (SSP2 wafer)
- Simulate long PL process (Proc. A, 8.4 mm) and short PL process (Proc. B, 3.4 mm)

## **Contact Wear Modeling - SSP2,** Process A (PL = 8.4 mm)



Initial Nanotopography Height (Data)

- • $c = 0.92$
- • $\sigma_{\rm model}$  = 9.7 nm
- • $\sigma_{\rm data}$  = 9.6 nm



Oxide Thickness Removed (Model)



Oxide Thickness Removed (Data)



# **Contact Wear Modeling - SSP2,** Process B (PL = 3.4 mm)



Initial Nanotopography Height (Data)

- • $C = 0.82$
- • $\sigma_{\rm model}^{}=1.62~\rm nm$
- • $\sigma_{\rm data}$  = 1.88 nm



Oxide Thickness Removed (Model)

Oxide Thickness Removed (Data)



# **Conclusions**

- Experimental results verify NL vs. PL hypothesis
- Can use contact wear model to simulate CMP process on nanotopography

#### **Future work**

- Investigate nanotopography impact regarding yield concerns in STI
- Incorporate nanotopography model into STI CMP pattern model to create a full model to use to predict nanotopography impact yield of STI structures